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> f := 3*x^3-5*x+4;
g := 7*x^4+8*x-5;
f :=  $3x^3 - 5x + 4$ 
g :=  $7x^4 + 8x - 5$  (1)

> a := expand(f*g);
a :=  $21x^7 - 35x^5 + 52x^4 - 15x^3 - 40x^2 + 57x - 20$  (2)

> gcd( a, diff(a,x) );
1 (3)

> p1,p2,p3,p4 := 11,13,17,19;
p1, p2, p3, p4 := 11, 13, 17, 19 (4)

> Factor(a) mod p1;
 $10(x^2 + 4x + 7)(x + 7)(x^4 + 9x + 4)$  (5)

> Factor(f1/3) mod p1;
 $(x^2 + 4x + 7)(x + 7)$  (6)

> Factor(f2/7) mod p1;
 $x^4 + 9x + 4$  (7)

> Factor(a) mod p2;
 $8(x + 4)(x^3 + 7x + 10)(x + 2)(x^2 + 7x + 2)$  (8)

> Factor(a) mod p3;
 $4(x^3 + 4x + 7)(x^3 + 4x^2 + 16x + 2)(x + 13)$  (9)

> Factor(a) mod p4;
 $2(x^2 + 3x + 12)(x^2 + 16x + 16)(x^3 + 11x + 14)$  (10)

> D3 := {1,3,4,6,7}; D4 := {2,3,4,5,7}; D3 intersect D4;
D3 := {1, 3, 4, 6, 7}
D4 := {2, 3, 4, 5, 7}
{3, 4, 7} (11)

> f33 := (x^3+4*x+7); # f33 := x^3 + 4*x^2 + 16*x + 2;
f33 :=  $x^3 + 4x + 7$  (12)

> f43 := x^3 + 11*x + 14;
f43 :=  $x^3 + 11x + 14$  (13)

> f := chrem( [21*f33,21*f43], [p3,p4] );
M := p3*p4;
f := primpart(mods(f,M));
f :=  $21x^3 + 288x + 28$ 
M := 323
f :=  $3x^3 - 5x + 4$  (14)

> a;
21x^7 - 35x^5 + 52x^4 - 15x^3 - 40x^2 + 57x - 20 (15)

> divide(a,f,'q');
true
7x^4 + 8x - 5 (16)

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